

Lecture 8: *Queuing Network Simulation Tool_JMT*

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Overview

- ❑ **Java Modeling Tools (JMT) is a suite of applications developed by**
 - ❑ Politecnico di Milano (Dipartimento di Elettronica e Informazione), Italy
 - ❑ Released under GPL license, 2008
- ❑ **The project aims at offering a complete framework for**
 - ❑ Performance evaluation
 - ❑ System tuning
 - ❑ Capacity planning
 - ❑ Workload characterization study
- ❑ **Main features of JMT**
 - ❑ MVA technique
 - ❑ Modeling a queuing network
 - ❑ Markov chain

Installation Process

❑ Software Requirements

- ❑ Download all the components of the Java Modeling Tools (JMT) from the link below.

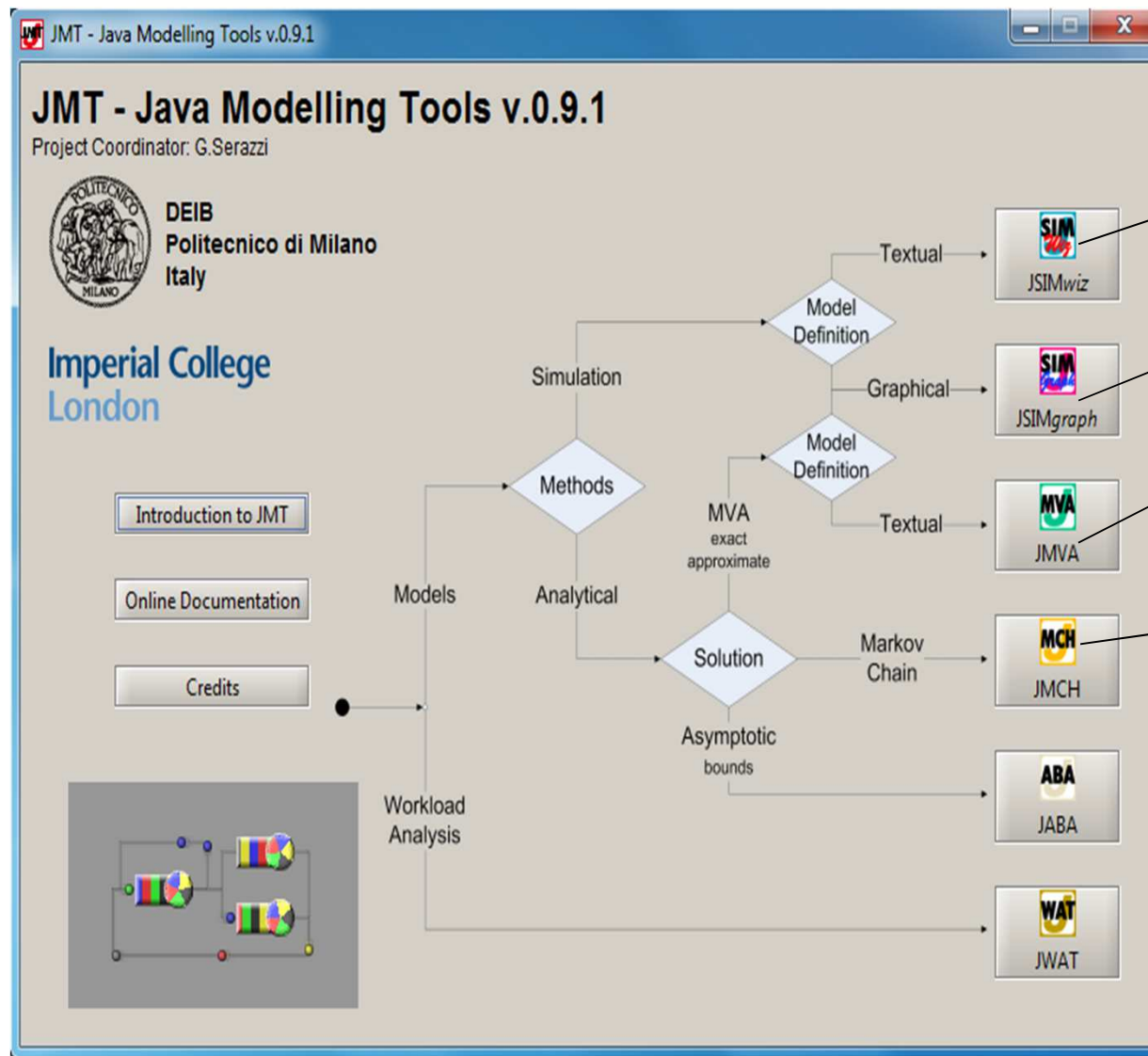
JMT tool: <http://jmt.sourceforge.net/Download.html> or <http://sourceforge.net/projects/jmt/files/jmt/JMT-0.9.1/JMT-installer-0.9.1.jar/download>

- ❑ JMT is platform-independent and requires only the Java Runtime Environment (version 1.6 or later). The Java Runtime Environment can be downloaded from the link below.

Java runtime environment: <http://www.oracle.com/technetwork/java/javase/downloads/index.html>

- ❑ Install JMT and Java Runtime Environment on the PC.

The Starting Screen of JMT Suite



wizard-based interface for the discrete-event simulator JSIM

A graphical user-friendly interface for the same simulator engine JSIM

For exact and approximate analysis of single-class or multiclass product form queuing networks, processing open, closed or mixed workloads.

It applies a simulation technique to solve a single station model with finite (M/M/1/k) or infinite queue (M/M/1)

Core Algorithms - jMVA

❑ Mean value analysis (MVA) algorithm

- ❑ Fast solution of product-form queueing networks
- ❑ Open models: efficient solution in all cases
- ❑ Closed models: efficient for models with up to 4-5 classes

❑ Product-form queueing networks solvable by MVA

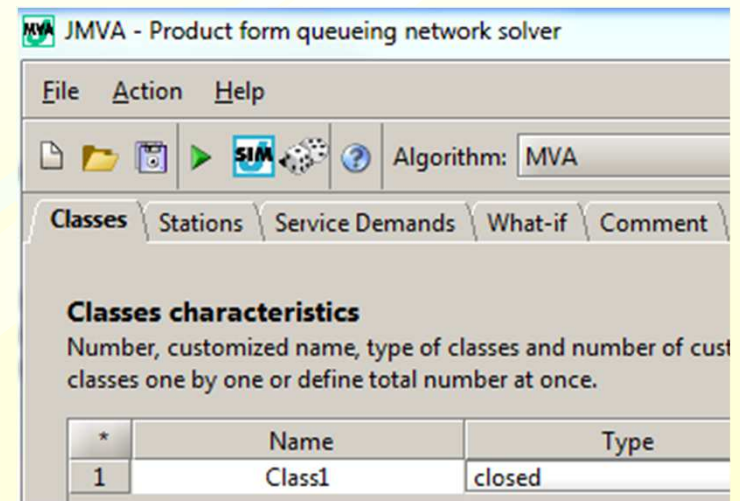
- ❑ PS/FCFS/LCFS/IS scheduling
- ❑ Identical mean service time for multiclass FCFS
- ❑ Mixed models (open + closed), load-dependent
- ❑ Service at a queue does not depend on the state of other queues
- ❑ No blocking, finite buffers, priorities

Model Definition

- ❑ **Parameters of a model:** The following parameters must be defined
 - ❑ Classes with their workload intensities (number of customer, N , for closed classes and arrival rate, λ , for open classes)
 - ❑ Stations (service centers)
 - ❑ Service demands (or service times and visits)
 - ❑ Optional short comment

- ❑ **Performance indices (for each station)**

- ❑ Stations (service centers)
 - ❑ Queue length
 - ❑ Throughput
 - ❑ Residence time
 - ❑ Utilization
 - ❑ System power (throughput/response time for *each class*)



Defining a Class and Stations

- ❑ **Class example:** There are three classes of customers, two closed and one open. The third class has the default name *Class3* while the other two classes have customized names, namely *ClosedClass* and *OpenClass*

Classes characteristics
Number, customized name, type of classes and number of customers (closed class) or arrival rate (open class). Add classes one by one or define total number at once.

Number: 3 New Class

*	Name	Type	No. of Customers	Arrival Rate (λ)
1	closedclass	closed	100	
2	openclass	open		3.140000
3	Class3	closed	66	

- ❑ **Stations tab:** there is only one station with default name Station4 and there are three stations with customized names: CPU, Disk1 and Disk2. A station type can be Load Independent, Load Dependent or Delay.

*	Name	Type	
1	CPU	Load Independent	✗
2	Disk1	Load Independent	✗
3	Disk2	Load Independent	✗
4	Station4	Load Independent	✗
		Delay (Infinite Server)	
		Load Independent	
		Load Dependent	

Defining Service Demands Tab

- ❑ **Service Demands Tab:** Each job of type *ClosedClass* requires an average service demand time of 6 sec to *CPU*, 10 sec to *Disk1*, 8 sec to *Disk2* and 2.5 sec to *Station4*. On the other hand, a job of type *OpenClass* requires on average 0.1s of *CPU* time, 0.3 sec of *Disk1* time, 0.2 sec of *Disk2* time and 0.15 sec of *Station4* time to be processed by the system.

Classes \ Stations \ **Service Demands** \ Comment

Service Demands

Input service demands of each station for each class.
If station type is set to "Load Dependent", you can set values of service demands for each number

*	ClosedClass	OpenClass	Class3
CPU	6.000000	0.100000	4.000000
Disk1	10.000000	0.300000	8.000000
Disk2	8.000000	0.200000	7.000000
Station4	2.500000	0.150000	6.000000

Service demand time

- ❑ **Visits Tabs:** there is only one station with default name Station4 and there are three stations with customized names: CPU, Disk1 and Disk2. A station type can be Load Independent, Load Dependent or Delay.

Classes

Stations

Service Times

Visits

Comment

Visits

Average number of accesses of each class to the station.

*	ClosedClass	OpenClass	Class3
CPU	1.000000	1.000000	1.000000
Disk1	1.000000	1.000000	1.000000
Disk2	1.000000	1.000000	1.000000
Station4	1.000000	1.000000	1.000000

Visit number

Example of JMVA Technique

A single class closed model with three load independent stations and a delay service center. Number of population in closed class, $N=3$. and the service time and visit for station are given below:

	CPU	Disk1	Disk2	Users
Service Times [s]	0.006	0.038	0.030	16.000
Visits	101.000	60.000	40.000	1.000

Step 1: Define Class

Classes \ Stations \ Service Demands \ Comment \

Classes characteristics
Number, customized name, type of classes and number of customers (closed class) or arrival rate (open class).
You can add classes one by one or define total number at once.

Number: 1

New Class

*	Name	Type	No. of Customers	Arrival Rate (λ)
1	ClosedClass	closed	3	

Step 2: Stations Tab

Classes \ **Stations** \ Service Demands \ Comment \

Stations characteristics
Number, customized name and type of stations.
You can add stations one by one or define total number at once.

Number: 4

New Station

*	Name	Type	
1	CPU	Load Independent	X
2	Disk1	Load Independent	X
3	Disk2	Load Independent	X
4	Users	Delay (Infinite Server)	X

Example of JMVA Technique

Step 3: Service time.

Classes	Stations	Service Times	Visits	Comment
Service Times Input service times of each station for each class. If station type is set to "Load Dependent", you can set values of service times for each number of				
	*	ClosedClass		
	CPU	0.006000		
	Disk1	0.038000		
	Disk2	0.030000		
	Users	16.000000		

Step 4: Visits

Classes	Stations	Service Times	Visits	Comment
Visits Average number of accesses of each class to the station.				
	*	ClosedClass		
	CPU	101.000000		
	Disk1	60.000000		
	Disk2	40.000000		
	Users	1.000000		

Result of the Model

Throughput	Queue length	Residence Times	Utilization	Synopsis
Throughput Throughput for each class at each station.				
	*	Aggregate	ClosedClass	
	Aggregate	0.143961	0.143961	
	CPU	14.540104	14.540104	
	Disk1	8.637686	8.637686	
	Disk2	5.758457	5.758457	
	Users	0.143961	0.143961	

For the single-class model, all results in the column *Aggregate* are equal to the results in the *ClosedClass* column.

JSIMgraph (Simulation - Graphical)

□ Main Features

- **Arrival rate:** for open classes of customers generated by source stations
- **Station service time:** can be generated according to the following distributions
 - Burst (General, Modulated Markov Poisson Process MMPP2), Constant, Erlang, Exponential, Gamma, Hyperexponential, Normal, Pareto, Poisson, Student-T, Uniform
- **Queuing discipline:** supports First Come First Served, FCFS with priority, Last Come First Served, LCFS with priority
- **Routing** of the customers in the network: the path followed by the requests among the resources can be described either probabilistically or according to the following strategies:
 - Fastest service, Least utilization, Load Dependent routing, Random, Round robin, Join the Shortest Queue, Shortest response time.

□ Other features

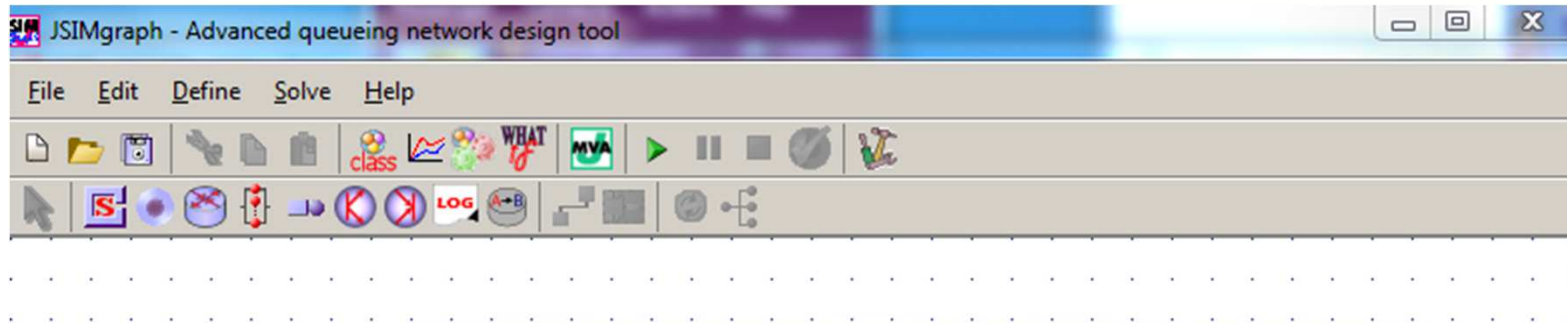
- Load dependent service time strategies
- Fork-and-join stations to model parallelism
- Simulation of complex traffic pattern and service times (e.g., burst)
- Blocking regions (in which the number of customer is limited)
- What-if analysis (with various control parameters)

Defining A New Model

- ❑ To define a new model the following steps have to be performed
 1. Draw the network (click and drop)
 2. Define *Customer Classes* and select the *Reference Station* for each class
 3. Set the parameters for each object
 4. Select the performance indices to be collected and evaluated
 5. If needed, insert one or more *Finite Capacity Regions* (FCR)
 6. Choose or change the simulation parameters
 7. Enable *What-If Analysis* and set its parameters, if required
 8. Start the simulation
 9. If an error is detected, click it. Then a window will be opened which allows immediate fix.

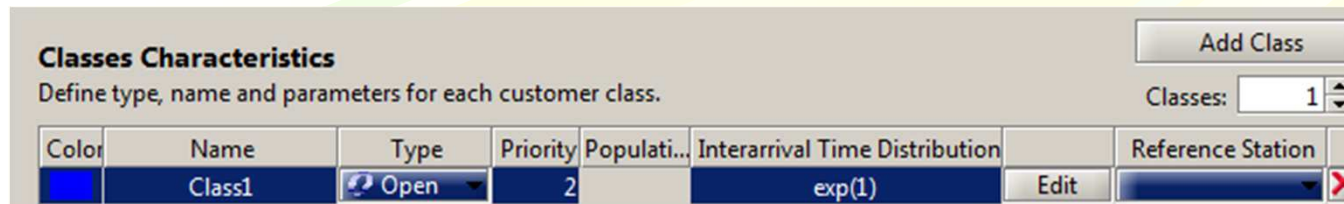
Defining A New Model (Cont'd)

□ Home view of JSIm



□ Defining Open Classes

- After adding a class and set its name and priority, the type of the class needs to be selected. Go to define tab and select custom



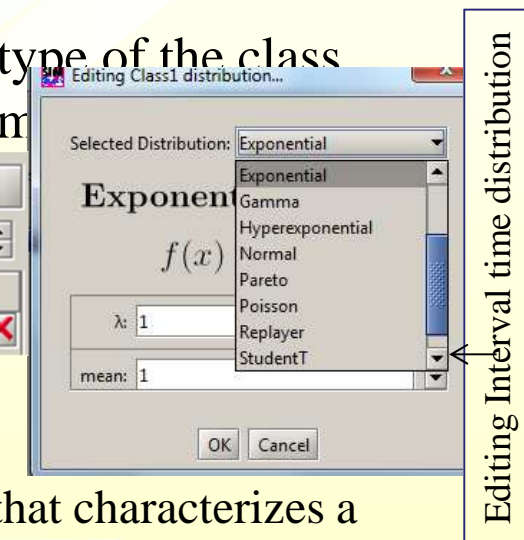
Exponential Distribution with $\lambda = 1$

□ Defining Open Classes

- The population size (also referred to as N) is the parameter that characterizes a closed class.

Color	Name	Type	Priority	Population	Arrival Time Distribution	Reference Station
Red	Class1	Closed	0	4		Server0

- A Reference Station for the class *must* be selected from the Reference Station menu



Editing Interval time distribution

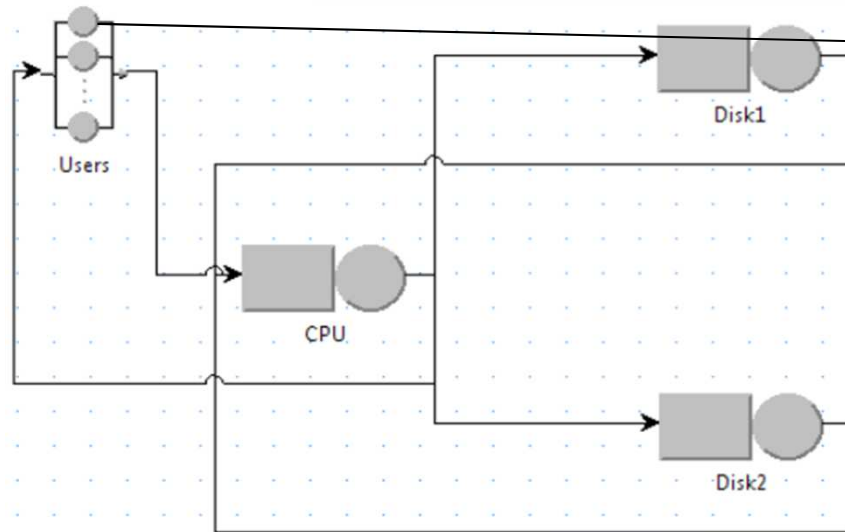
Performance Indices

- ❑ Number of Customers (of a station)
- ❑ Queue Time (of a station)
- ❑ Residence Time
- ❑ Response Time (of a station)
- ❑ Response Time per Sink
- ❑ Utilization (of a station)
- ❑ Throughput (of a station)
- ❑ Throughput per Sink
- ❑ System Throughput [X] (of the entire system)
- ❑ System Response Time [R](of the entire system)
- ❑ System Number of Customers (of the entire system)
- ❑ System Power (at system and per-class levels):

Example:

- ❑ **The previous example:** The users delay station represents user's think time ($Z = 16s$) between the interactions with the system.

Step 1: Draw the graph



Step 2: Define customer class and edit station properties.

Station Name: Users

Users Parameters Definition

Service Section Routing Section

Number of Servers

Number: 00

Service Time Distributions

Class	Strategy	Service Time Distribution	Edit
Class0	Load Independent	exp(0.062)	Edit

The Users properties window

Set the value of all class for user

Set the user delay as mean value, 16

Station Name: Users

Users Parameters Definition

Service Section Routing Section

Number of Servers

Service Time Distributions

Class

Class0

Editing Class0 distribution...

Selected Distribution: Exponential

Exponential [exp(λ)]:

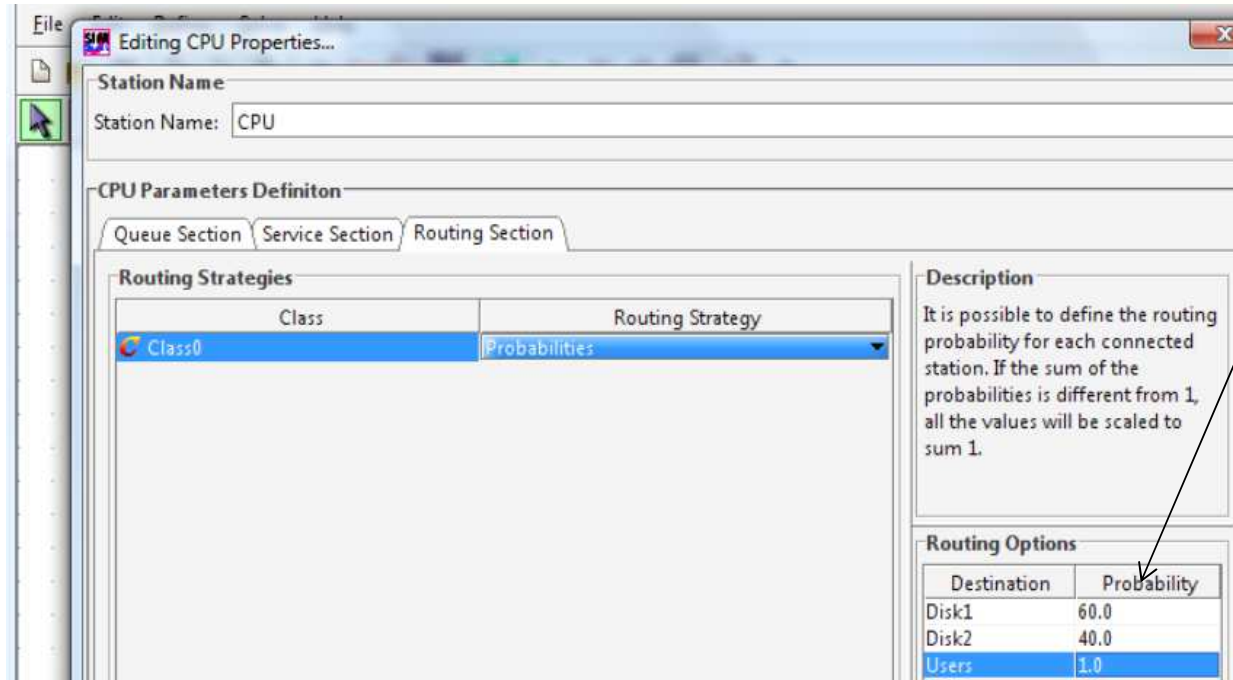
$$f(x) = \lambda e^{-\lambda x}$$

λ : 0.0625

mean: 16

Routing Section

- ❑ As there are 3 outgoing links from *CPU*, each job's probability to choose one of the paths needs to be set. This is done by setting the probabilities of *Disk1*, *Disk2* and *Users* as 60, 40 and 1 respectively.



Setting the probabilities (or the visits) for the output of the *CPU* station

- ❑ Need to set the routing strategy for all stations.

Define the Performance Indices

- ❑ In Example 1 the following indices are studied
 - ❑ *Queue length [jobs]* (for CPU, Disk1, Disk2, Users and the global System)
 - ❑ *Throughput [jobs/sec]* (for CPU, Disk1, Disk2, Users and the System)
 - ❑ *Residence time [sec]* (for CPU, Disk1, Disk2, Users and the System)
 - ❑ *Utilization* (for CPU, Disk1, Disk2 and Users).
- ❑ The following operations are required
 - ❑ Select Queue Length: Click on 'Add selected index' for four times. Change State/Region of these Indices to *CPU*, *Disk1*, *Disk2* and *Users*.
 - ❑ Repeat for *Throughput*, *Residence time*, *Utilization*.

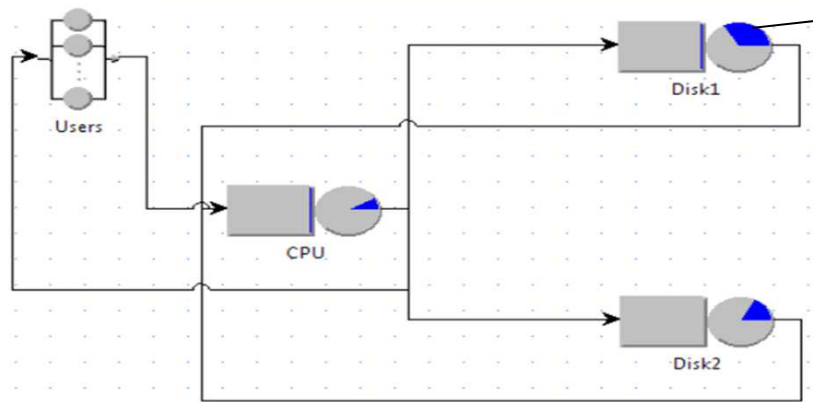
Performance Indices System Response Time ▼

Define system performance indices to be collected and plotted by the simulation engine. Add selected index

Performance Index	Class	Station/Region	Confidence Interval(0-1)	Max Relative Error(0-1)	
Queue Length	--- All Classes --- ▼	CPU ▼	0.9	0.1	✗
Queue Length	--- All Classes --- ▼	Disk1 ▼	0.9	0.1	✗
Queue Length	--- All Classes --- ▼	Disk2 ▼	0.9	0.1	✗
Queue Length	--- All Classes --- ▼	Users ▼	0.9	0.1	✗
Throughput	--- All Classes --- ▼	CPU ▼	0.9	0.1	✗

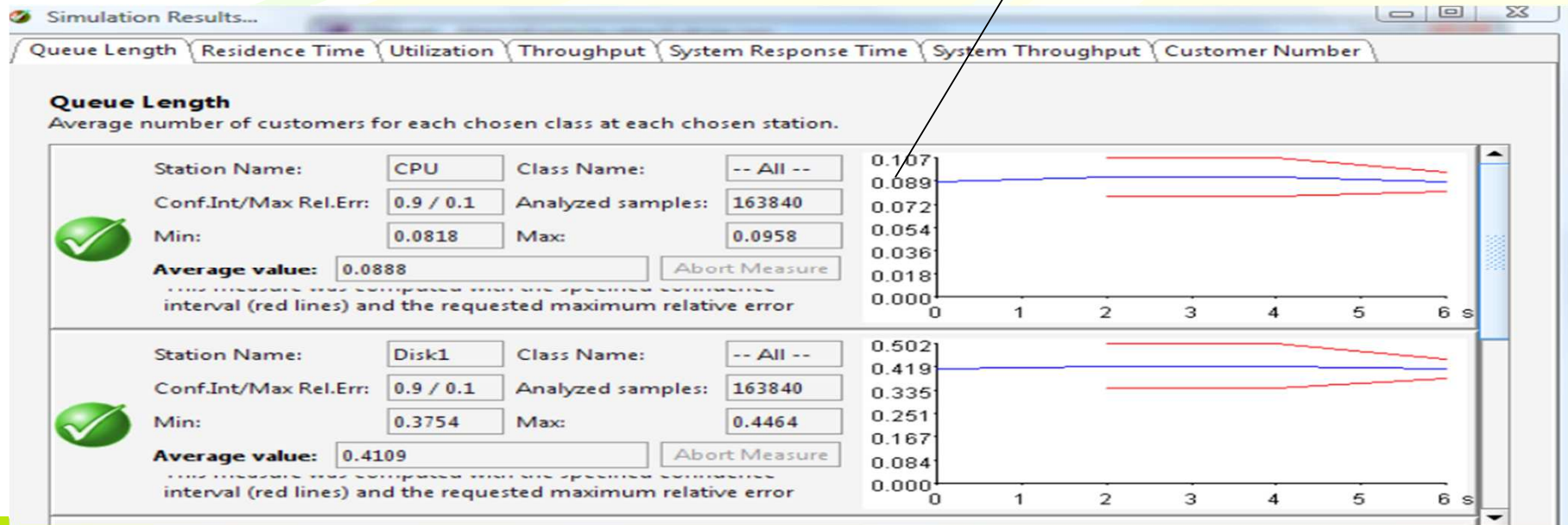
Run the Simulation

Press  from the toolbar:



Color define the layout of the model with the percentage of utilization and queue length

Simulation Result



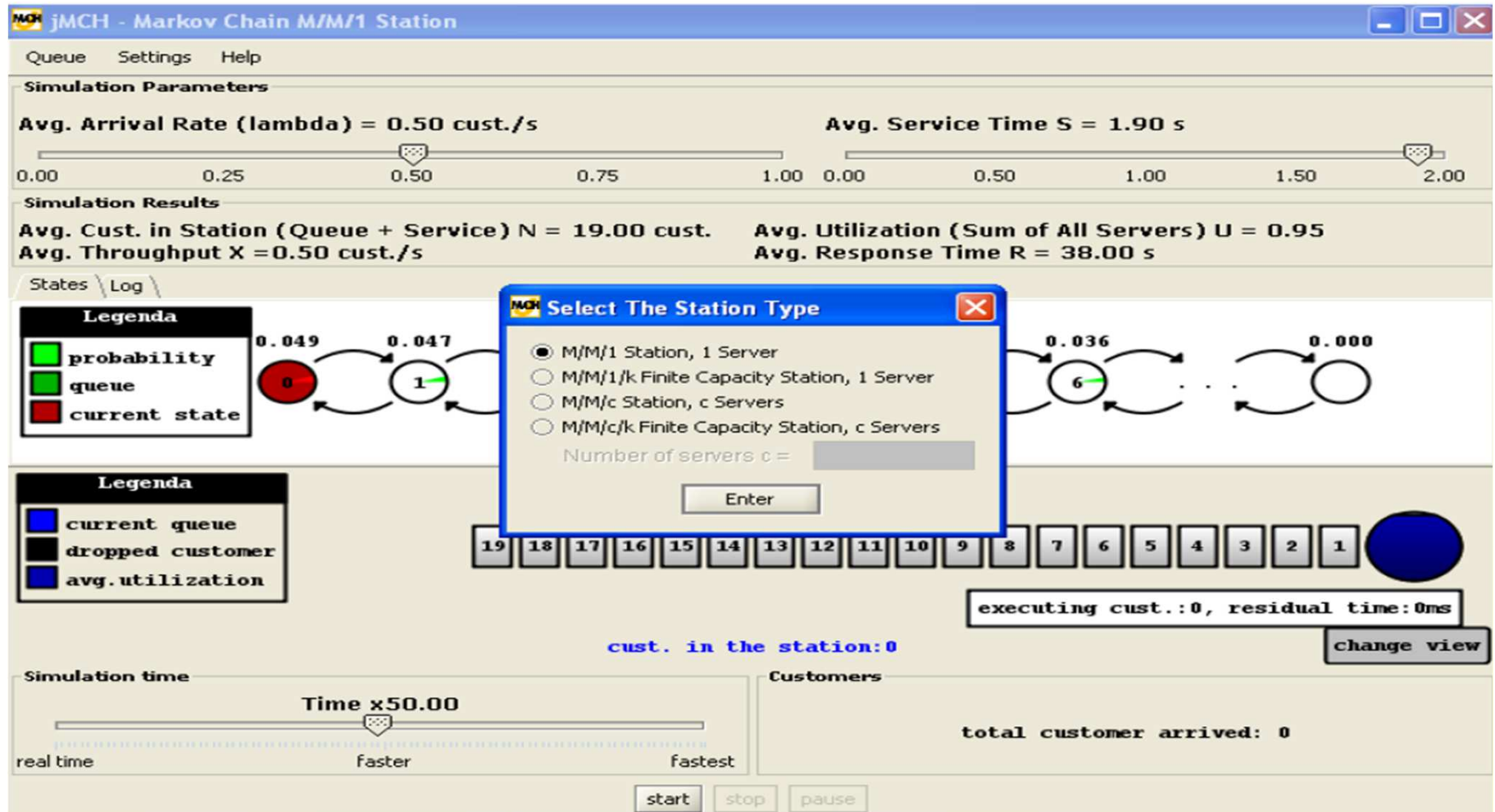
Average number of customer each second

JMCH (Markov Chain)

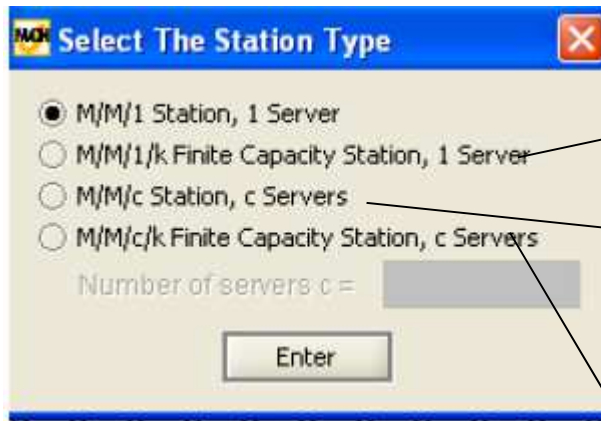
- ❑ JMCH provides a graphical representation of the states of the Markov Chain corresponding to a single station model
- ❑ The type of station can be modified later by using the menu item 'Queue -Change station type'
 - ❑ $M/M/1$: 1 server and infinite queue size
 - ❑ $M/M/1/k$: 1 server and finite queue size, k
 - ❑ $M/M/c$: c servers (homogeneous) and infinite queue size
 - ❑ $M/M/c/k$: c servers (homogeneous) and finite queue size, k
- ❑ It is possible to change the arrival rate λ and service time S of the station at simulation run time
- ❑ If the model is of limited capacity, the size, k , of the queue can also be changed dynamically

Start the JMCH Solver

□ JMCH start screen



Select a Station Type and Simulate

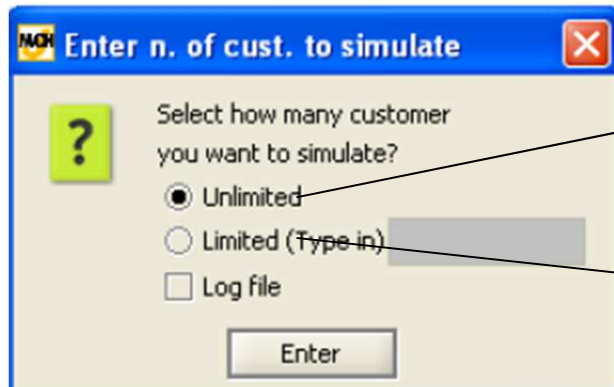


The queue size k can be set dynamically while the simulation is running. The minimum value of k is 2.

The number c of the servers should be set with this dialog box, and it cannot be changed dynamically while the simulation is running.

The number c of the servers should be set with this dialog box, and it cannot be changed dynamically while the simulation is running. The queue size k can be set dynamically while the simulation is running.

- ❑ To start the simulation, user needs to 'Press Start' button, on pressing 'Start the dialog'

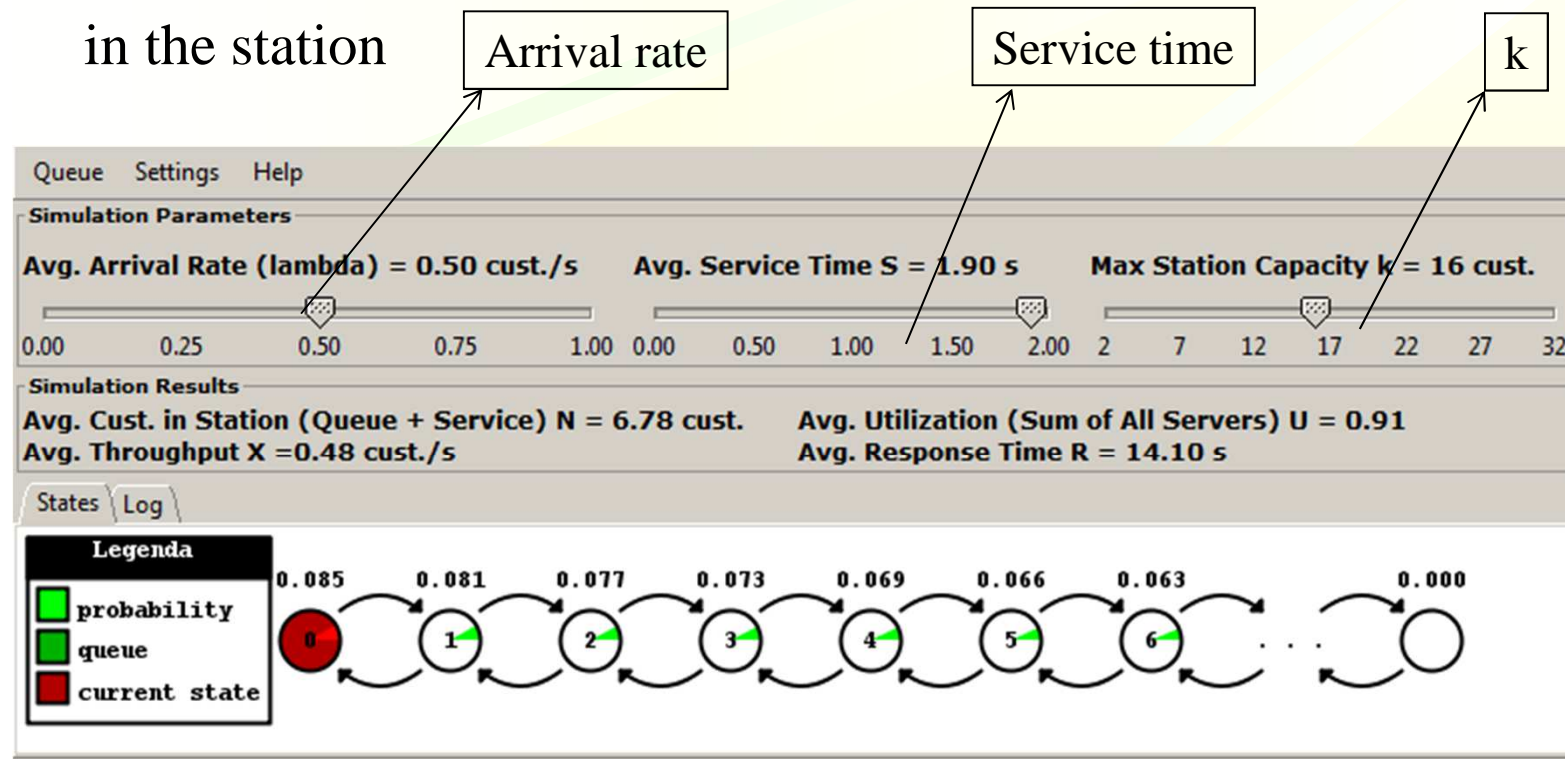


If 'Unlimited' is selected, the simulation must be stopped manually. Otherwise, it runs forever.

If 'Limited' is selected, the simulation runs for the given number of customers.

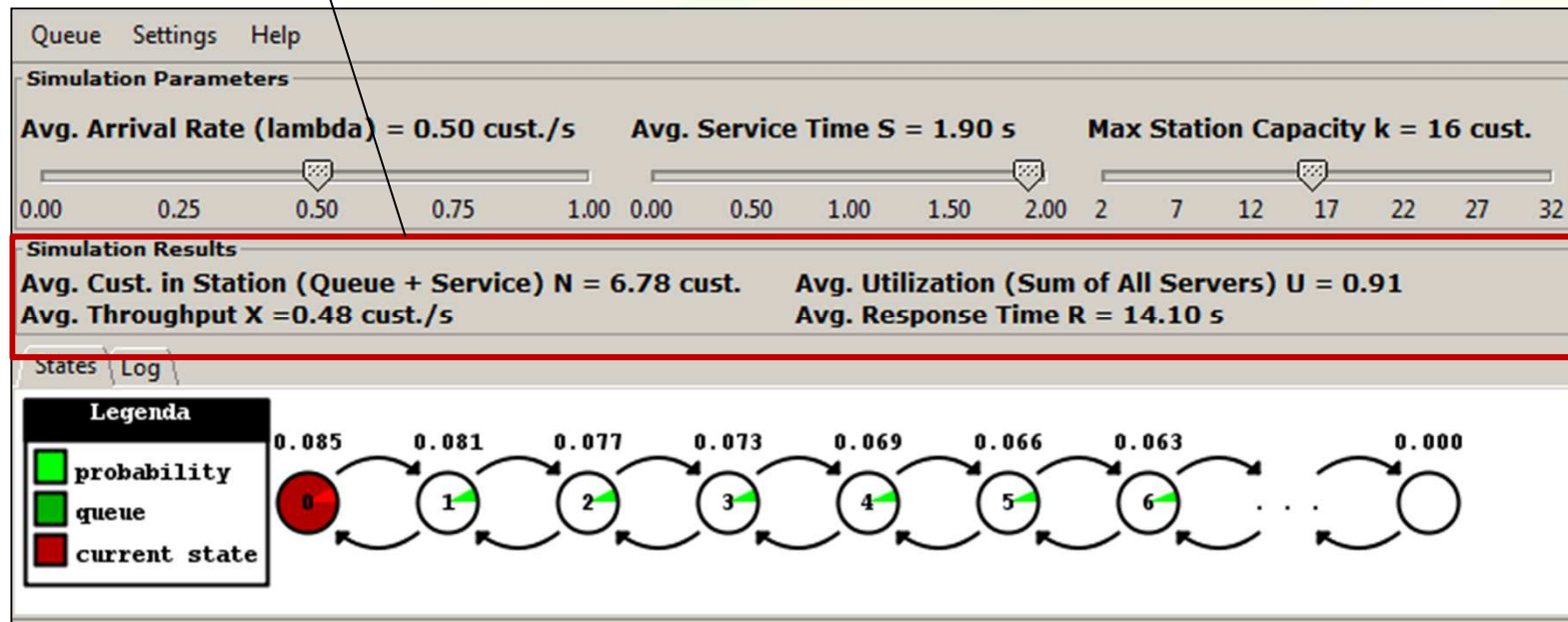
Input Parameters

- ❑ λ : Average arrival rate, the distribution of inter arrival times is exponential with mean $1/\lambda$
- ❑ S : Average service time for each customer, the values are exponentially distributed
- ❑ k : Maximum station size: the maximum number of customers allowed in the station



Performance Indices

1. Mean number of customers in the station
2. Throughput
3. Utilization
4. Mean response time
5. Probability of the states of the Markov Chain



Conclusion

- ❑ **Analysis with Java Modelling Tools (<http://jmt.sf.net>)**
 - ❑ Queueing network simulation
 - ❑ Bottleneck identification
 - ❑ Workload analysis
 - ❑ Mean value analysis

- ❑ **Manual can be found online from the link below**
 - ❑ <http://jmt.sourceforge.net/JSIMg.html>